

# CURRICULUM VITAE

**1 NAME: DR. IMAGIRI STANLEY KATHURIMA.**

## **2 PRESENT ADDRESS:**

**2.1 Work;** School of mathematics, College of Biological and Physical Sciences, University of Nairobi, P.O Box 30197-00700, Nairobi, Kenya.

**2.2 Email;** imagiri@uonbi.ac.ke or imagirisk@yahoo.co.ke

**2.3 Telephone contacts;** Cellphone; (+254)0721836242

## **3 ACADEMIC HISTORY:**

**3.1 Ph.D thesis writing;** University of Nairobi, Kenya(July 2009- 2014). A thesis entitled, inequalities and their spectral properties of some classes of operators in Hilbert spaces. (Expected year of graduation; Aug-2014.)

**3.2 M.Sc,(Distinction);** University of Nairobi, Kenya(2002-2005). Did a project entitled, Inequalities and spectral properties of classes of operators in Hilbert spaces.

**3.3 B.Sc in mathematics, (First Class Honours);** University of Nairobi (1997- 2001).

**3.4 Computer Skills;** Office Automation College, Bursar Hse. Nrb. (1998- 2001). Profficient in the following programming languages; Mathematica, Maple, MuPAD Pro, Euler, Macaulay, Matlab, Latex, Pascal, C++, Ms dos, Ms Excel and Ms Access.

**3.5 K.C.S.E.** Kaaga Boys, Meru County-Kenya, (1992-1995).

**3.6 K.C.P.E.** Tutua School, Meru County, (1987-1991).

**3.7 Lower Primary;** Mulathankari Primary School, Meru County-Kenya, (1981-1986).

## 4 SCHOLARSHIP AWARDS:

**4.1 University of Nairobi scholarship;** To persue an M.Sc in pure mathematics.

**4.2 DAAD, (Deutscher Akademischer Austauschdienst- Germany Academic Exchange Service), scholarship;** To persue a Ph.D in pure mathematics, (Operator Theory), in the University of Nairobi.

## 5 SEMINAS AND WORKSHOPS:

**5.1 Dar-esalam University (June-2007);** Attended an East African school on points in polytopes

**5.2 University of Nairobi (April-2007);** Attended an East African school on Upper points in polytopes

**5.3 Makerere University (Jan-2007);** Attended an East African school on combinatorial geometry.

**5.4 Makerere University (July-2006);** Attended an East African school on beauty of convex sets.

**5.5 Mombasa (November 2005);** Attended a school on algebraic geometry

**5.6 University of Nairobi (April 2005);** Attended a school on combinatorial geometry.

## 6 SCIENTIFIC PUBLICATIONS:

[6.1] S.K Imagiri, J.M Khalagai and G.P Pokhariyal,  $n$ th-Aluthge Transforms of  $w$ -Hyponormal Operators, Far East Jnr of Appld. Maths. Vol 56, No.1, 2011, pp 65-94.

Abstract

*In this paper, the exact locations of  $w$ -hyponormal operators in inclusion series of different operator classes are shown. In addition, it is observed that, all  $n$ th-Aluthge transforms of linear operators have*

*equal spectra, and eventually, for  $w$ -hyponormal operators, it is proved that such transforms are not only spectraloid, but normaloid as well.*

[6.2] S.K Imagiri, J.M Khalagai and G.P Pokhariyal, On the Normality of the Products of Generalized Aluthge Transforms of  $w$ -Hyponormal Operators, Far East Jnr of Appld. Maths. Vol 84, No.2, 2013, pp 95-111.

### **Abstract**

*$w$ -hyponormal operators generalizes  $p$ -hyponormal operators but repeated Aluthge transformations of a  $w$ -hyponormal operator, improves the hyponormality of the operator. Here in, we set out to investigate some of the conditions under which such transformations results into a normal operator. And eventually, we will extend our observations to check the normality of the products of any two such transformations.*

[6.3] S.K Imagiri, J.M Khalagai and G.P Pokhariyal, Restrictions On The Powers of  $n$ th - Aluthge Transforms of  $w$ -Hyponormal Operators, Far East Jnr. of Appld. Maths. Vol.85, number 1, 2013, pp 25-45.

### **Abstract**

*Powers of operators from any class, are not in general members of the same class. For instance, if  $T$  is a class (A) operator, then  $T^2$  is not necessarily a class (A) operator, but if  $T$  is an invertible class (A) operator, all of its powers happen to be class (A) operators. Unlike in Class (A) operators, every power of a  $w$ -hyponormal operator is a  $w$ -hyponormal operator. In this paper, we investigate the normality of the powers of generalized Aluthge transforms of  $w$ -hyponormal operators and that of the generalized Aluthge transforms of the powers of  $w$ -hyponormal operators.*

[6.4] S.K.Imagiri, J.M.Khalagai and G.P.Pokhariyal. On The Normality Of The Products Of  $n$ -Power quasinormal Operators. Far East Jnr of Appld. Maths.Vol. 82, Number 1, 2013, pp 41-53.

## Abstract

*Given any two normal operators  $A$  and  $B$  on a Hilbert space  $H$ , it is known that  $AB$  is not normal in general. However, if  $A$  and  $B$  commute, then  $AB$  is also normal. In this account, we investigate some conditions under which  $AB$  becomes normal even when  $A$  and  $B$  are not necessarily normal.*

[6.5] Imagiri Kathurima, *An Interplay Between  $n$ -Power quasinormal and  $w$ -Hyponormal operators*, Far East Jnr of Appld. Maths. Accepted for publication, 2014.

## Abstract

*In this monograph, via Aluthge transformations, it is proved that every  $n$ -Power normal operator is normaloid and through paranormality,  $w$ -hyponormal operators are shown to be independent from  $n$ -Power normal, hence from  $n$ -Power quasinormal operators. Nevertheless, an attempt to throw more materials- rather than the class of normal operators-, in the intersection of these non-normal classes is presented.*

[6.6] Imagiri Kathurima, *Putnam-Fuglede theorem for  $n$ -Power quasinormal and  $w$ -hyponormal operators*, Far East Jnr of Appld. Maths. Accepted for publication, 2014.

## Abstract

*In this presentation, the familiar Putnam-Fuglede theorem is firstly investigated for  $n$ -Power quasinormal operators. Then, its asymmetric version is studied for  $n$ -Power quasinormal and  $w$ -hyponormal operators. As a consequence, more conditions implying normality, in these two operator classes, are struck via similarity.*

[6.7] Imagiri Kathurima, *Putnam's inequality for  $n$ -Power normal,  $n$ -Power quasinormal and  $w$ -hyponormal operators*, Pioneer jnl of mathematics and mathematical sciences. Accepted for publication, 2014.

## Abstract

*Every reducible operator can be decomposed into normal and completely non-normal operators. Unfortunately, there are several non normal operators which are irreducible. However, every operator whose self-commutator is bounded, is reducible. Putnam's inequality implies boundedness of the self-commutator for hyponormal operators. In this paper, the Putnam's inequality is studied for  $n$ -Power normal,  $n$ -power quasinormal and  $w$ -hyponormal operators.*

[6.8] Imagiri Kathurima, *Berger-Shaw inequality for  $n$ -Power quasinormal and  $w$ -hyponormal operators*, Far East Jnr of Appld. Maths. Accepted for publication, 2014.

## Abstract

*Every reducible operator can be decomposed into normal and completely non-normal operators. Unfortunately, there are several non normal operators which are irreducible. However, every operator whose self-commutator is bounded, is reducible. Berger-Shaw inequality implies boundedness of the trace of the self-commutator for hyponormal operators. In this paper, the Berger-Shaw inequality is studied for  $n$ -Power normal,  $n$ -power quasinormal and  $w$ -hyponormal operators.*

[6.9] Imagiri Kathurima,  *$\infty$ -Power normal and  $\infty$ -Power quasinormal operators*, Pioneer jnl of mathematics and mathematical sciences, Accepted for publication, 2014.

## Abstract

*In this paper,  $\infty$ -Power normal and  $\infty$ -Power quasinormal operators are introduced. Amongst other results, it is proved that,  $\infty$ -Power normal operators have translation invariant property and that, if any operator and its adjoint happens to be  $\infty$ -Power quasinormal, then such an operator becomes normal*

[6.10] Imagiri Kathurima, *Putnam-Fuglede theorem for  $n$ -Power normal and  $w$ -hyponormal operators*, Pioneer jnl of mathematics and mathematical sciences, Accepted for publication, 2014.

## Abstract

*Reducibility implies direct sum decompositions of Hilbert space operators and any pair of operators which satisfy the Putnam-Fuglede theorem is reducible. In this presentation, the familiar Putnam-Fuglede theorem is firstly investigated for  $n$ -Power normal operators. Then, it's assymetric version is studied for  $n$ -Power normal and  $w$ -hyponormal operators. As a consequence, more conditions implying normality, or even similarity between these two operator classes, are deduced via this theorem.*

## 7 MANUSCRIPTS:

Production of the following is in progress;

**7.1 SMA 103, (Calculus 1), Lecture notes;** For University of Nairobi, first year-science students.

**7.2 SMA 202, (Elements of set theory), Lecture notes;** For University of Nairobi, second year science students.

**7.3 SMA 209, (Elements of algebra), Lecture notes;** For University of Nairobi, second year science students.

## 8 RESEARCH INTERESTS:

Investigations on the following areas of study -which will certainly lead into more publications, are carried out; **8.1** Classifications of generalized Aluthge transforms of  $n$ -Power quasi normal operators and Class (Q)- normal operators.

**8.2** The intersection between the following three non-normal operator classes;  $w$ -hyponormal operators,  $n$ -Power quasinormal operators and  $(p,k)$ -quasi hyponormal operators.

**8.3** Behaviour and spectral properties of  $n$ th-Aluthge transforms of all class  $A(s,t)$  operators.

**8.4** Sufficient conditions implying normality for both class  $A(s,t)$  and  $(p,k)$ -quasi-hyponormal operators and that of the products of the powers of operators from these classes.

**8.5** Putnam-Fuglede theorem for the powers of generalized Aluthge transforms of non-normal operators, particularly those which includes all  $w$ -hyponormal operators.

**8.6** Putnam's inequality and Berger-Shaw's inequality for both n-power quasinormal and w-hyponormal operators.

**8.7** An interplay between n-Power quasinormal and Class  $A(s, t)$  operators.

**8.8** Looking for a general class which includes all w-hyponormal operators and all n-Power quasinormal operators. In line with this problem, we have so far managed to introduce n-Power hyponormal operators, and a paper on their properties will be submitted soon.

## **9 REFEREES:**

**9.1 Prof. Jairus M.Khalagai;** Head of Pure Mathematics, UON-SOM.

**Postal address;** University Of Nairobi, School Of Mathematics, P O Box, 30197, Nairobi-Kenya.

**Cellphone;** (+254)0722866110

**Email;** khalagai@uonbi.ac.ke

**9.2 Prof. G.P. Phokariyal;** Head of Applied Mathematics, UON-SOM.

**Postal address;** University Of Nairobi, School Of Mathematics, P O Box, 30197.

**Cellphone;** (+254)0733881935

**Email;** phokariyal@uonbi.ac.ke

**9.3 Mr C. Achora;** Senior lecturer, UON-SOM.

**Postal address;** University Of Nairobi, School Of Mathematics, P O Box, 30197.

**Email;** achora@uonbi.ac.ke